

# CP Violation in Hyperon Decays:

## Revisiting an experimental idea in light of new developments

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- Basic Idea from LEAR days experience
- Since then ...
  - now know that  $\epsilon'$  is not zero
    - $\Delta s = 1$  CPV
  - M.I. implies  $\bar{p}$  “availability”
  - anticipated large  $\bar{p}$  intensities
- Outline of original effort
  - thoughts on grander effort (best in working group)

### ■ OTHER

- $\sin 2\beta \neq 0$
- B factory efforts worldwide

■ CPV REMAINS ONE OF THE HOTTEST PROBLEMS

CERN/SPSLC 92-19

SPSLC/M491

30 March 1992

Report to the SPS and LEAR Experiments Committee

CP VIOLATION IN HYPERON DECAYS:  
THE CASE  $\bar{p}p \rightarrow \bar{\Lambda}\Lambda \rightarrow \bar{p}\pi^+p\pi^-$

CP-Hyperon Study Group:

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Abstract

An account is given of the experimental status of CP violation and of the phenomenology of hyperon non-leptonic decays. Updated information on the estimate of CP-violating observables in these decays is presented. An experimental programme is outlined, with which to pursue the search for direct CP violation in hyperon-antihyperon decays by means of the reaction  $\bar{p}p \rightarrow \bar{\Lambda}\Lambda \rightarrow \bar{p}\pi^+p\pi^-$ . The experiment as well as analysis methods are described. Alternative approaches employing hyperons are discussed as well.

\* chair

# $\Lambda$ Decays vs $\bar{\Lambda}$ Decays

## ■ decay parameters

$$B \rightarrow B\pi$$

like  $\Lambda \rightarrow p\pi$

$$M = S + P\sigma \cdot q$$

$$\Gamma = |S|^2 + |P|^2$$

rate

$$\alpha = \frac{2 \operatorname{Re}(S^*P)}{|S|^2 + |P|^2}$$

$$\beta = \frac{2 \operatorname{Im}(S^*P)}{|S|^2 + |P|^2}$$

} decay asymmetry parameters

## ■ acknowledged tests of CP

$$\Delta = \frac{(\Gamma - \bar{\Gamma})}{(\Gamma + \bar{\Gamma})}$$

$$A = \frac{(\alpha + \bar{\alpha})}{(\alpha - \bar{\alpha})}$$



$$B' = \frac{(\beta + \bar{\beta})}{(\alpha - \bar{\alpha})}$$

## ■ comparing relative tests...

$B' \approx 10A \approx 200\Delta \approx \chi$ , the scale of the violation  
(to be calculated)

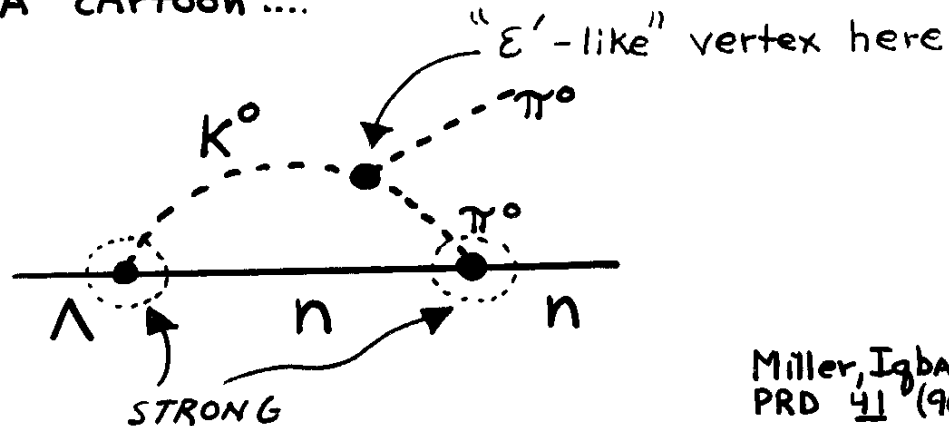
## ■ an interesting level is a test of A to ~~$10^{-4}$~~

See FNAL PAC,  
etc

$\rightarrow 10^{-5}$

# CP VIOLATION IN HYPERON DECAYS (compared to AntiHYPERON Decays)

First, A cartoon ....

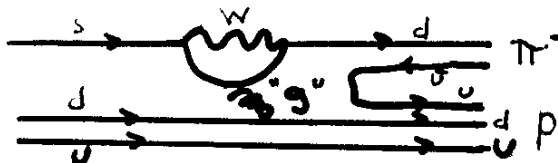


Miller, Iqbal  
PRD 41 (90) 2817

More typically ....  
Donoghue et al. ....

"Model Independent Analysis"  
to gauge strength of CPV  
in  $\Upsilon$ - $\Upsilon$  systems

STANDARD  
MODEL {  $\Lambda$



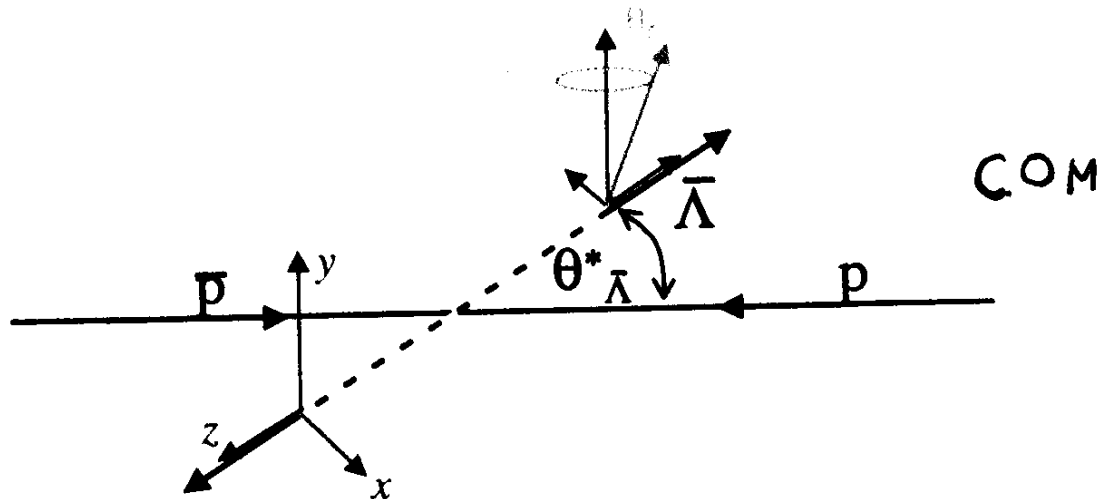
PRD 34 (86) 833  
PL B178 (86) 319  
+

X.G. He & H. Steger &  
G. VALENCIA

CPV in  $\Lambda$  decay with LARGE  $m_{top}$   
electroweak penguin effect



# CP Tests with $\bar{\Lambda}\Lambda$



- The reaction  $\bar{p}p \rightarrow \bar{\Lambda}\Lambda$  produces equal and clean samples of hyperon-antihyperon pairs
- The decay proton is partially aligned with the hyperon spin

$$\alpha_{\Lambda} \text{ and } \alpha_{\bar{\Lambda}}$$

- In SM, the  $\alpha$  values differ by a small amount

- FOR A SAMPLE OF POLARIZED  $\Lambda$ 's,

$$I(\theta) = I_0 [1 + \alpha P_\Lambda \cos \theta]$$

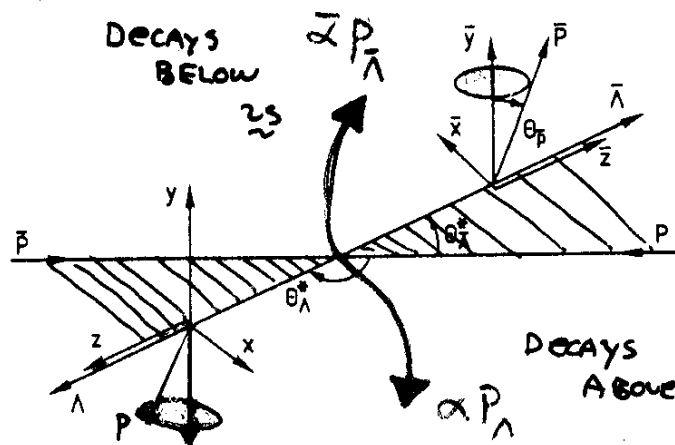
- $\alpha P_\Lambda$  is the MEASURABLE (and  $\bar{\alpha} P_{\bar{\Lambda}}$ ) \*

- ESSENTIALLY, DECAY <sup>ABOVE</sup> OR <sub>BELOW</sub> PRODUCTION PLAN

(WITH NO Monte Carlo Correction....  
(method of weighted sums))

- CP VIOLATION ...

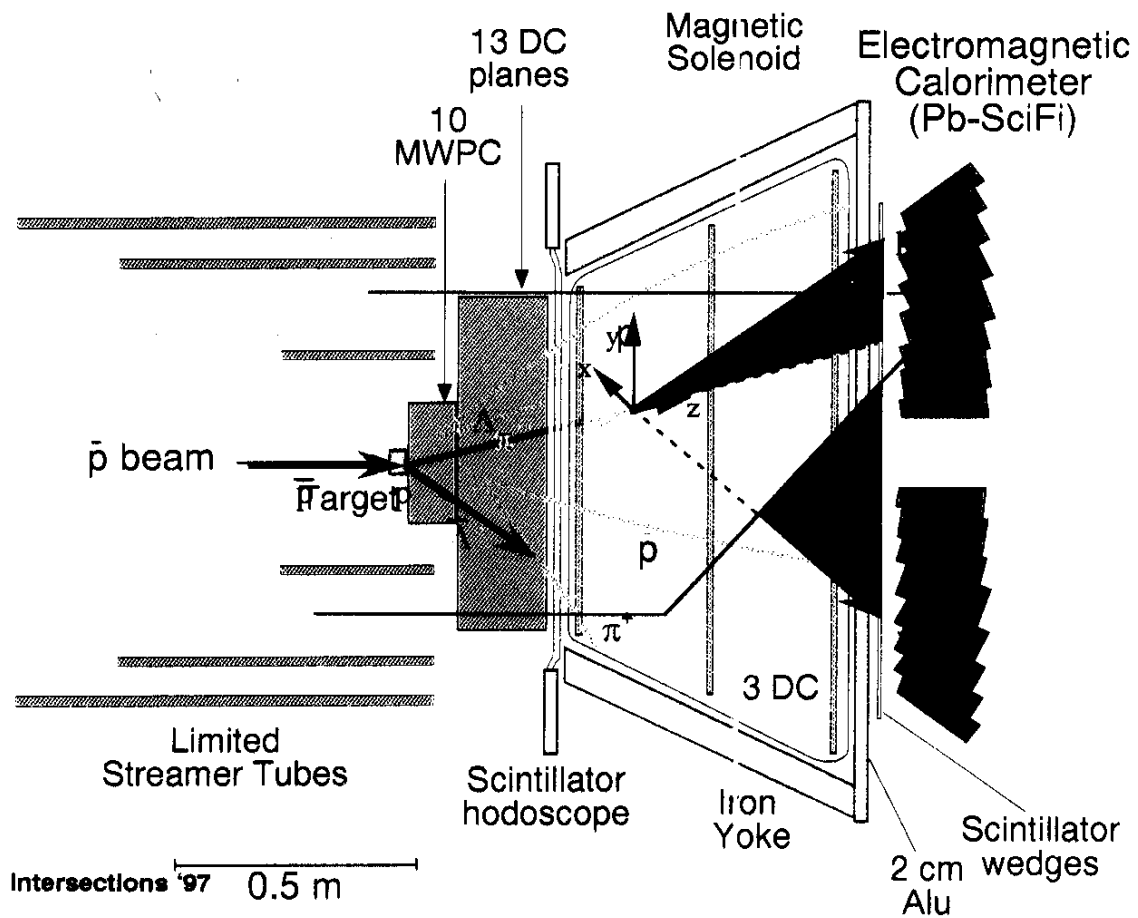
DIFFERENCE,  $A \propto \frac{[N_\Lambda(\text{up}) - N_\Lambda(\text{down})] + [N_{\bar{\Lambda}}(\text{up}) - N_{\bar{\Lambda}}(\text{down})]}{\# \text{ EVENTS}}$



# Hyperon-Antihyperon

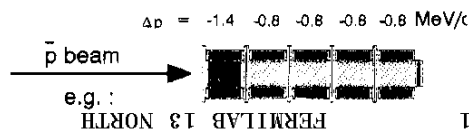
$$\bar{p}p \rightarrow \bar{\Lambda}\Lambda, \bar{\Lambda}\Sigma^0 + \bar{\Sigma}^0\Lambda, \bar{\Sigma}^-\Sigma^+, \bar{\Sigma}^+\Sigma^-$$

## Detector

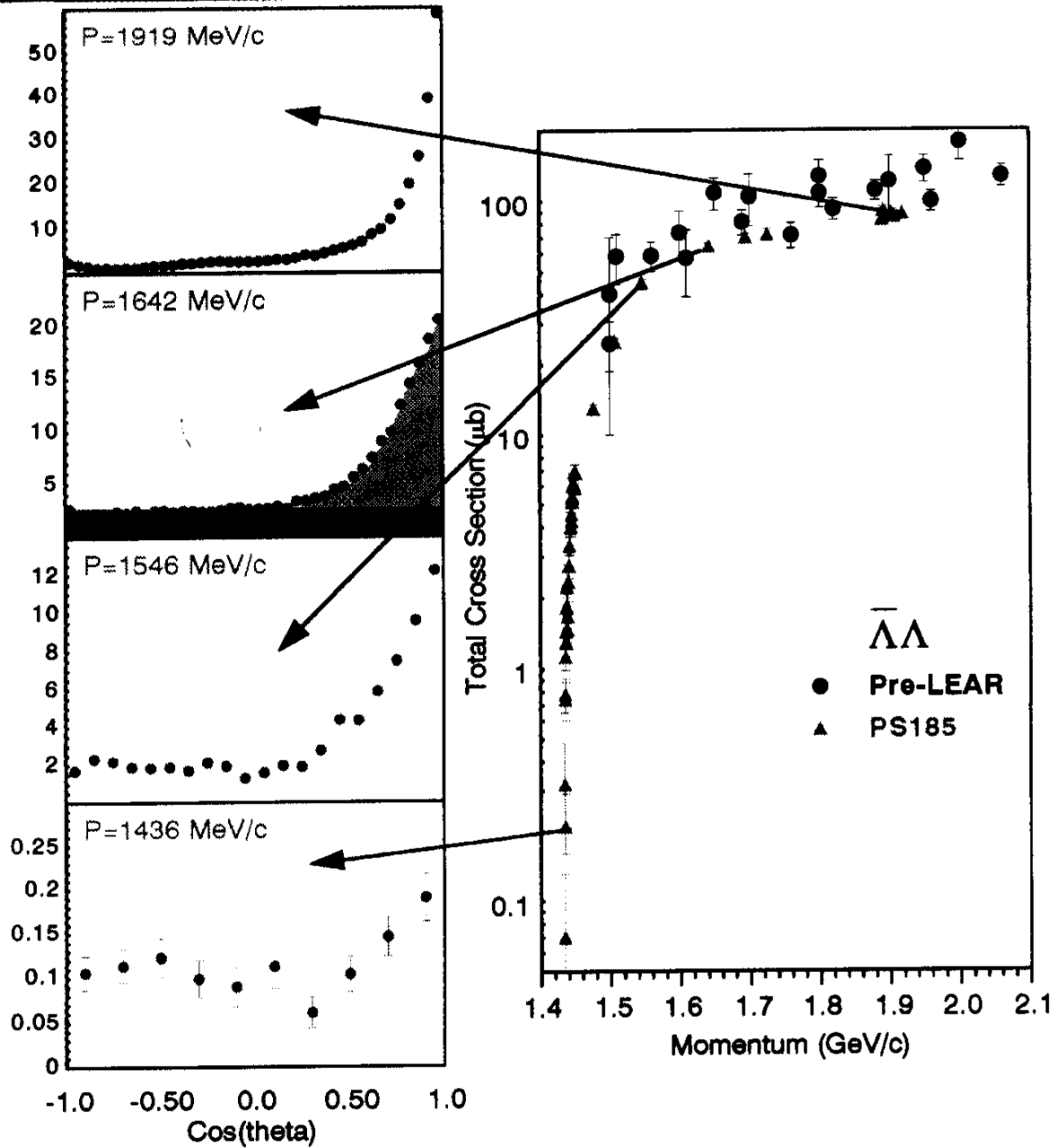


Segmented Target

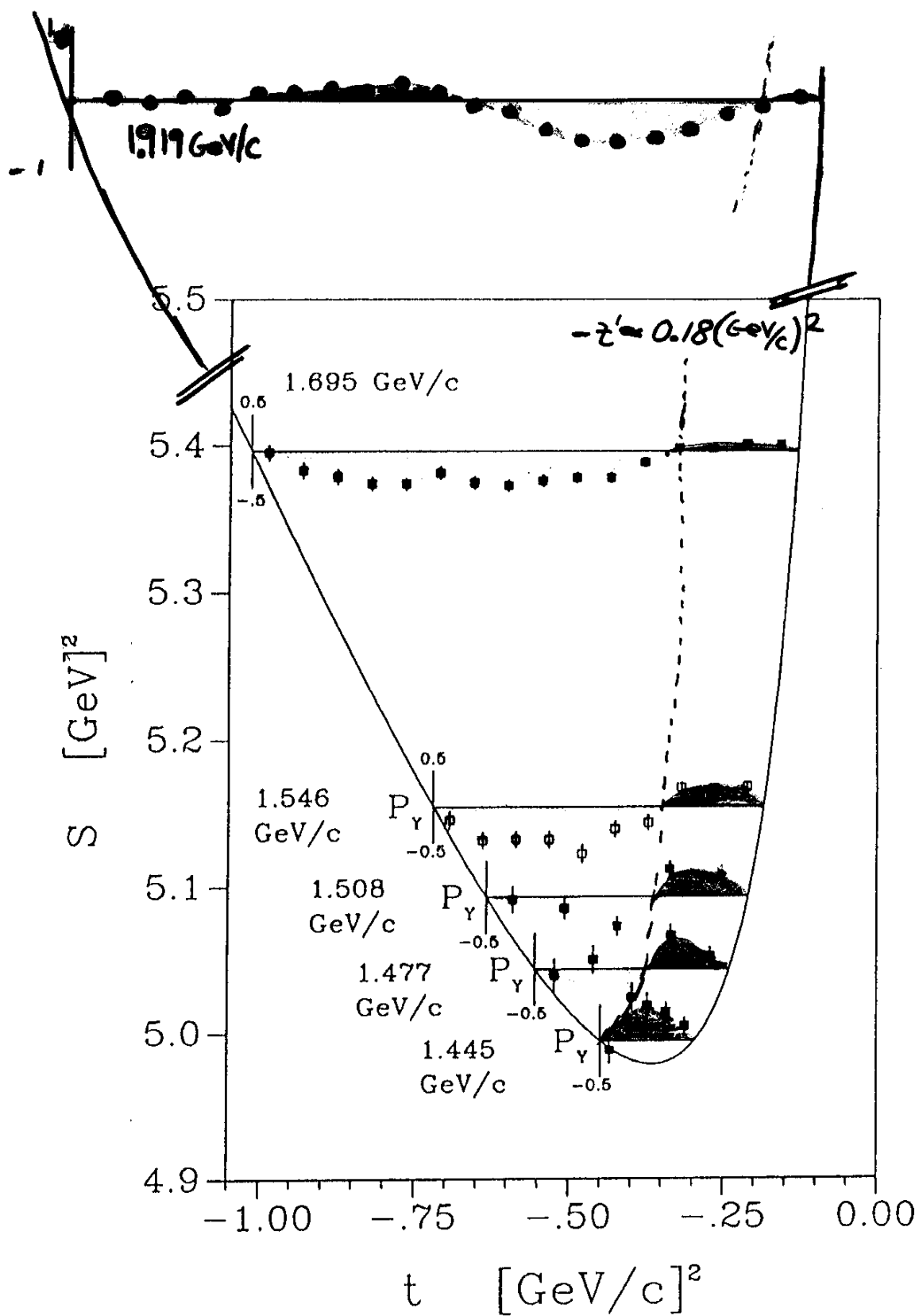
See J. Franz



# $\bar{\Lambda}\Lambda$ Results



Physics with GeV-Particle Beams



Basic Question: Why the pattern?

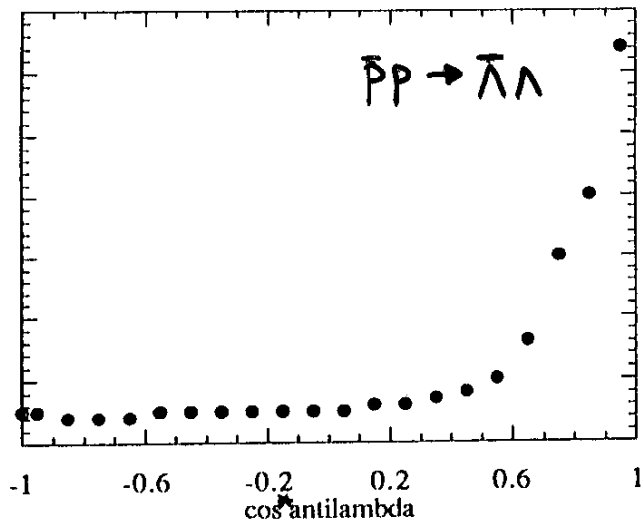
25

# Differential Cross Section

1.695 GeV/c

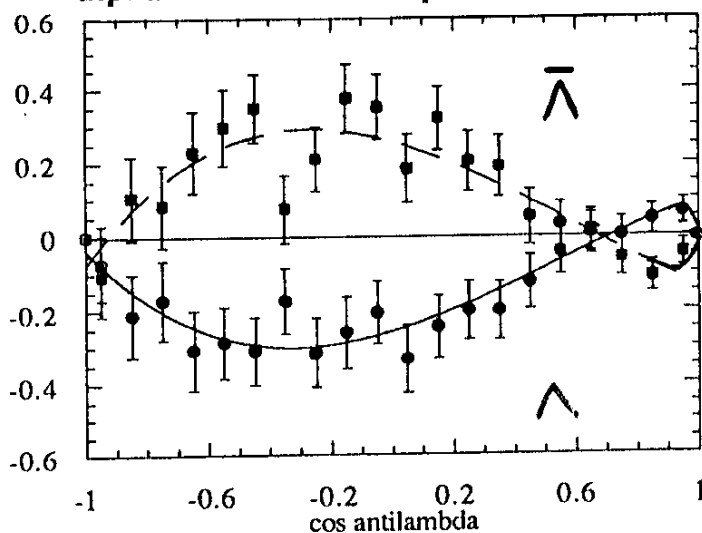
PS185

$$\frac{d\sigma}{d\Omega}$$

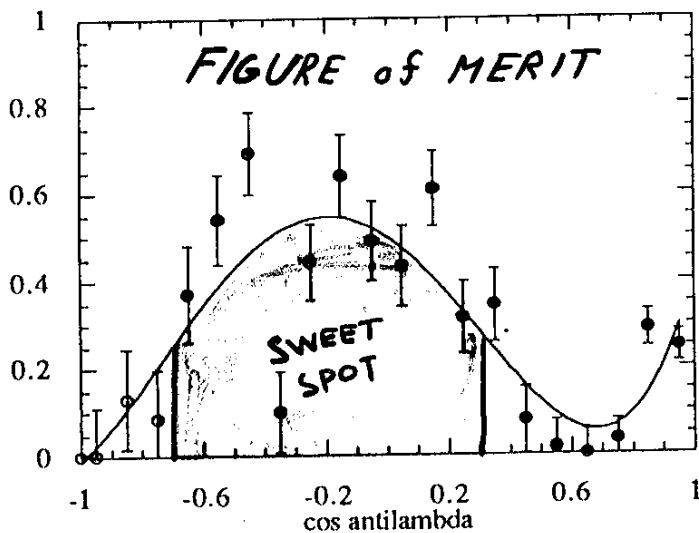


## alpha P lambda vs alpha P antilambda

$$\propto P$$



$$P^2 I$$



# FINAL PS185 RESULT $\pm 1.4 \times 10^{-2}$

The average is  $0.006 \pm 0.014$ , a factor of four lower limit than given by the PDG [21].

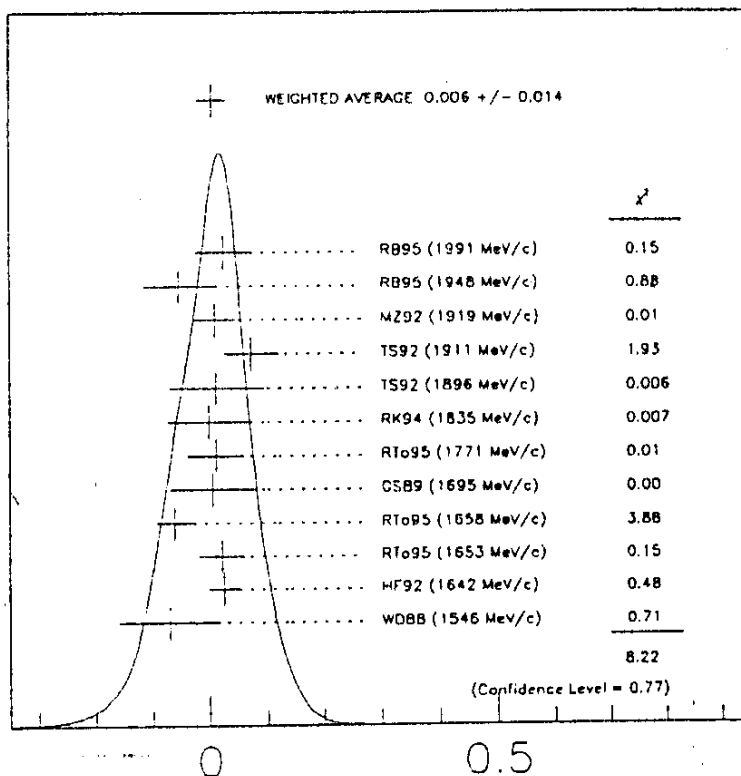


Figure 10. PS185 data points for the parameter A, relevant for CP violation in the  $\Lambda\Lambda$  system.

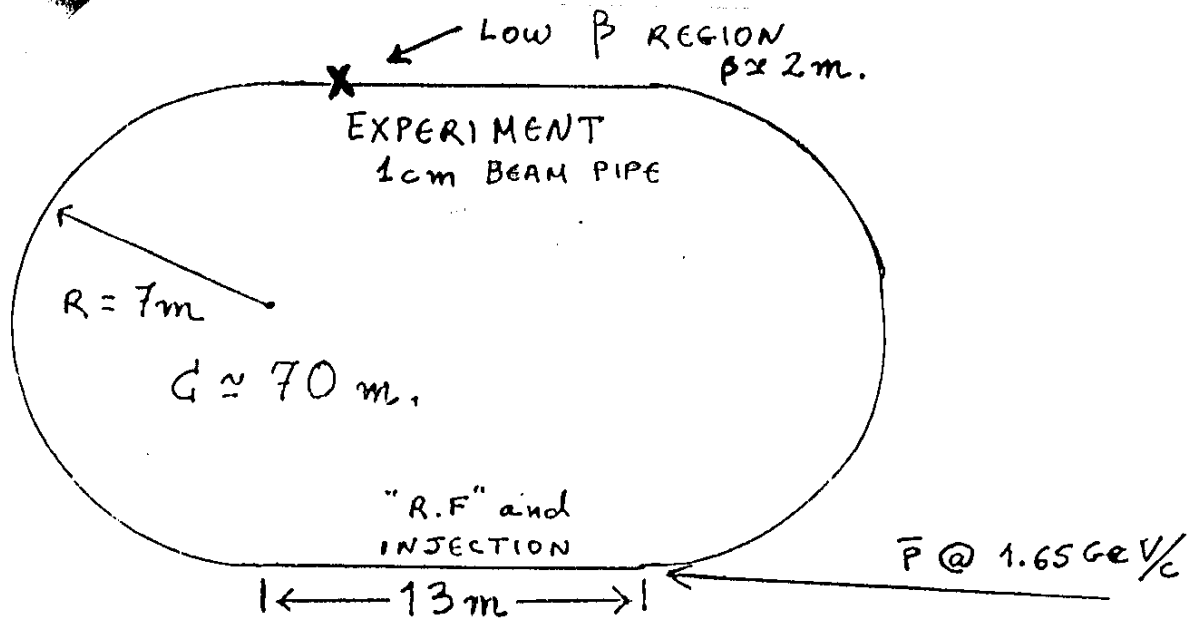
Recall Goal  $\sim \underline{\underline{1000}}$  x better!



P. Jeter

"Pushing the envelope. How about you?"





- A RACETRACK MACHINE OPERATING AT A FIXED ENERGY (1.65 GeV/c).
- $N_{\bar{p}} = 10^{11}$   
 $\Rightarrow \mathcal{L} = 4 \times 10^{31}$  ( $5 \times 10^{31}$  in test)
- THIS MACHINE GETS FILLED BY A COOLED AND DECELERATED BEAM FROM THE ACCUMULATOR THUS A SIMPLE STORAGE RING.
- SMALL ACCEPTANCE MACHINE ( $\epsilon \approx 10 \pi \text{ mm}$ )  
 $\Rightarrow$  A SMALL BEAM PIPE
- MODEST VACUUM REQUIREMENT ( $\sim 10^{-8}$  TOR).
- EMITTANCE BLOWUP TIME  $\frac{\epsilon}{\dot{\epsilon}} \approx 1.45$  hours WITH GAS JET ON  
 $\Rightarrow$  MODEST STOCHASTIC COOLING SYSTEM.
- 10-20 M\$ COST OF TYPICAL FIXED-TARGET EXPT @ FNAL

25'

# How Long to Run?

( $\Delta A = 10^{-4}$ )  $\leftarrow$  OLD GOAL "LEAR-2"

$$\begin{aligned} \mathcal{L}_{(\text{realistic})} &= \left( 2 \times 10^{11} \frac{\bar{p}}{\text{ring}} \right) \left( 3.32 \times 10^6 \frac{\text{rev}}{\text{sec}} \right) \left( 10^{14} \frac{\text{Atoms}}{\text{cm}^2} \right) \\ &= \underline{\underline{6.64 \times 10^{31} \text{ cm}^{-2} \text{ s}^{-1}}} \end{aligned}$$

$$\sigma_{\text{Tot}} (\bar{\Lambda} \Lambda) @ 1.65 \text{ GeV}/c = 65 \mu\text{b}$$

CAN  
IMPROVE

$$(\text{BR})^2 (p\pi^- \bar{p}\pi^+) = 0.41$$

$$\text{"Sweet spot" fraction} = 0.36$$

$$\text{Efficiency of Collection / Analysis} \approx 0.35$$



223 events/sec

Need  $\sim \underline{\underline{1.8 \times 10^9}}$  events into "sweet spot"

$$\Rightarrow 10^7 \text{ sec}$$

$\equiv 1$  physics year (on beam)

OKAY, LET'S "DREAM"

$$\mathcal{L} = 10^{33} \text{ cm}^{-2} \text{ s}^{-1} \quad \frac{\text{factor}}{\times 15}$$

DAQ Deadtime less, eff

$$\frac{\times 1.5}{\sim \times 20}$$

$\Rightarrow$  STILL REQUIRE

$$\sim 5 \times 10^7 \text{ s} \quad \underline{\text{beam on}}$$

$\approx 2 \text{ years or more}$

AND that's "just"  $A \sim 10^{-5}$ , not beyond!

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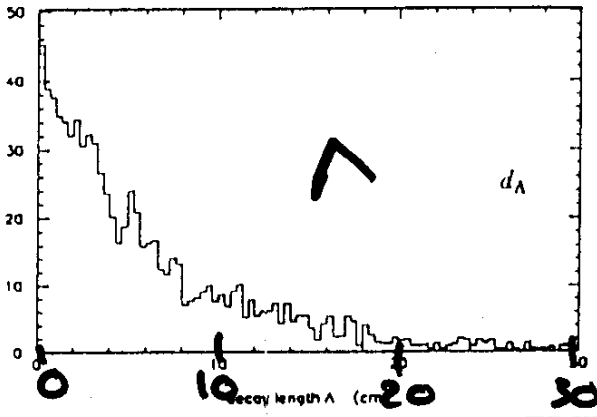
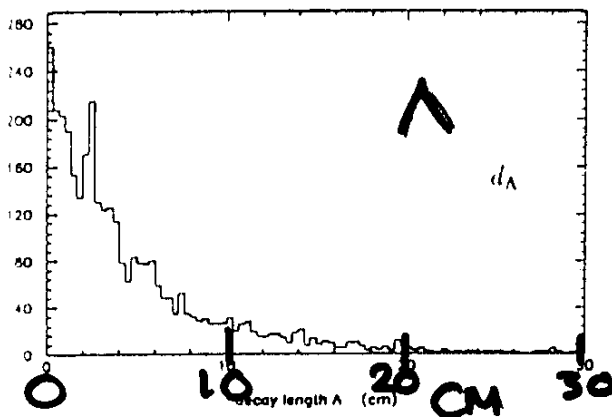
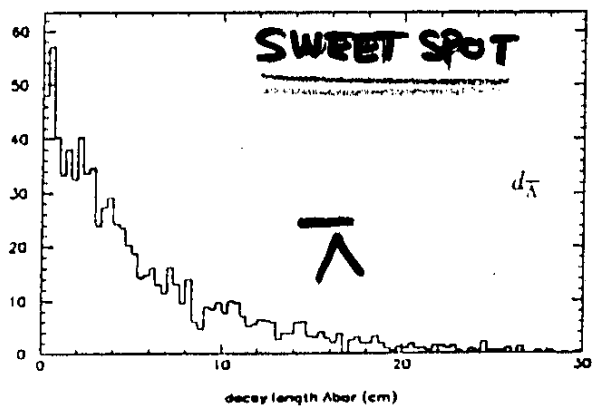
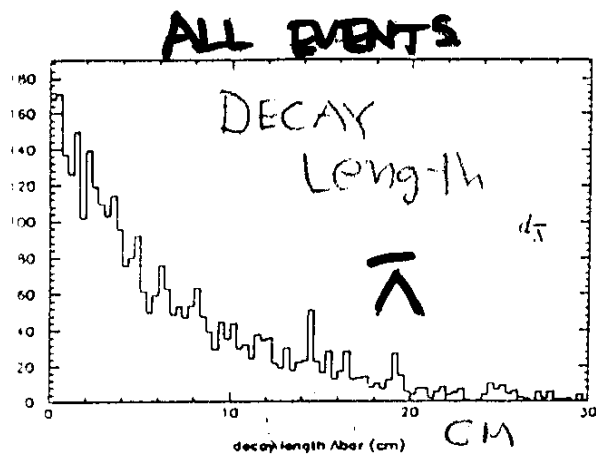
Now consider background ...  
@  $10^{33}$

$$\sigma_{\text{Tot}} (\bar{p}p) \sim 100 \text{ mb}$$

$$\Rightarrow 10^8 \text{ interactions/sec!}$$

MANY produce  $\langle \pi \rangle \sim 5$

Detector :  
VERY FAST  
VERY SELECTIVE TRIGGER  
HIGHLY SEGMENTED  
LONG-TERM RELIABILITY



DECAY LENGTH

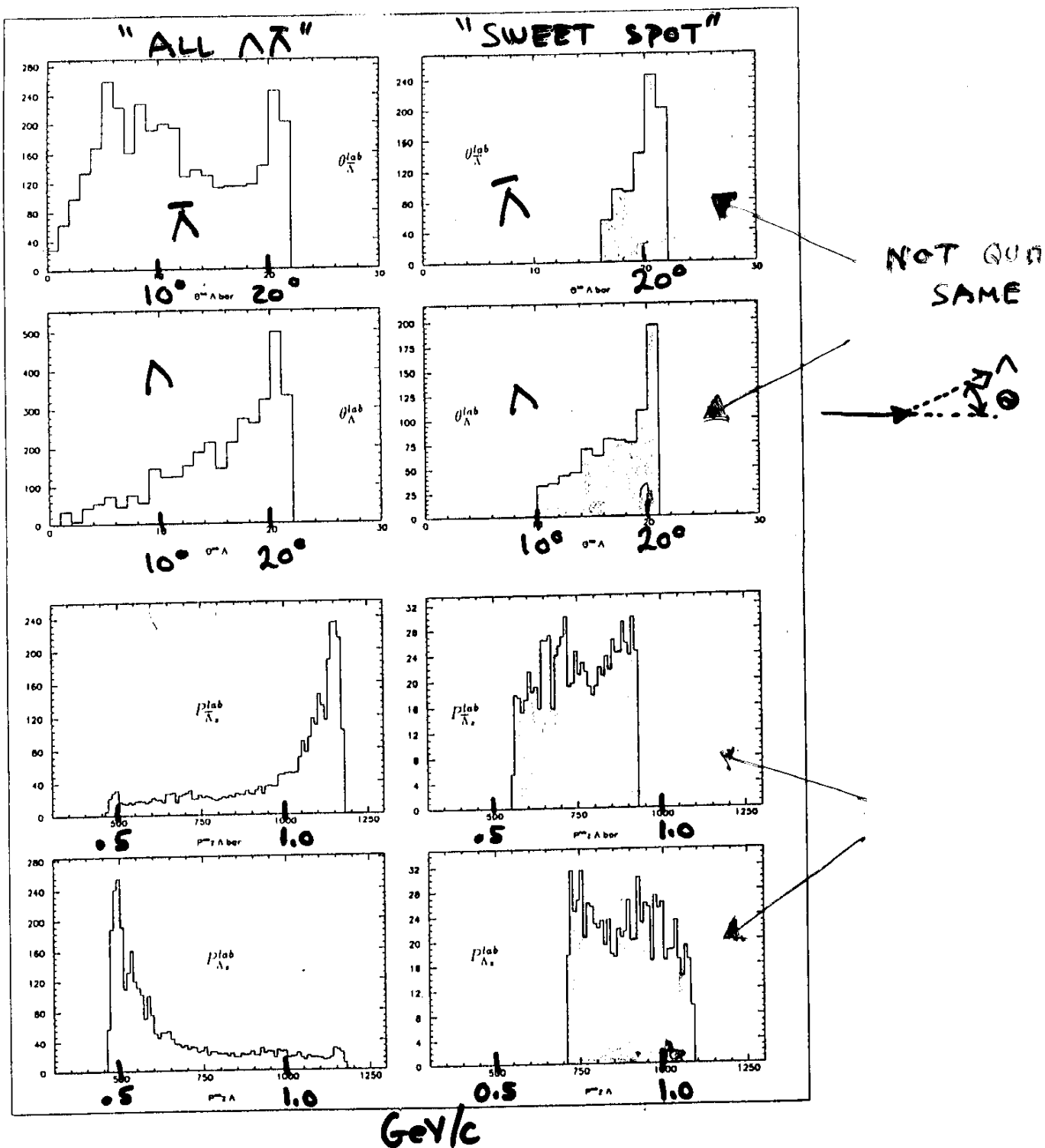


Figure 4: Laboratory angles and momenta for  $\bar{p}p \rightarrow \bar{\Lambda}\Lambda$ . For data simulated at 1.65 GeV/c incident antiproton momentum shown are, from top to bottom, distributions of the laboratory production angles  $\theta_{\Lambda}^{lab}$ ,  $\theta_{\Lambda}^{lab}$  (in degrees) and of the laboratory longitudinal momenta  $p_{\Lambda}^{lab}$ ,  $p_{\Lambda}^{lab}$  (in MeV/c). The plots on the left side include all events, those on the right side only events falling into the region-of-interest.

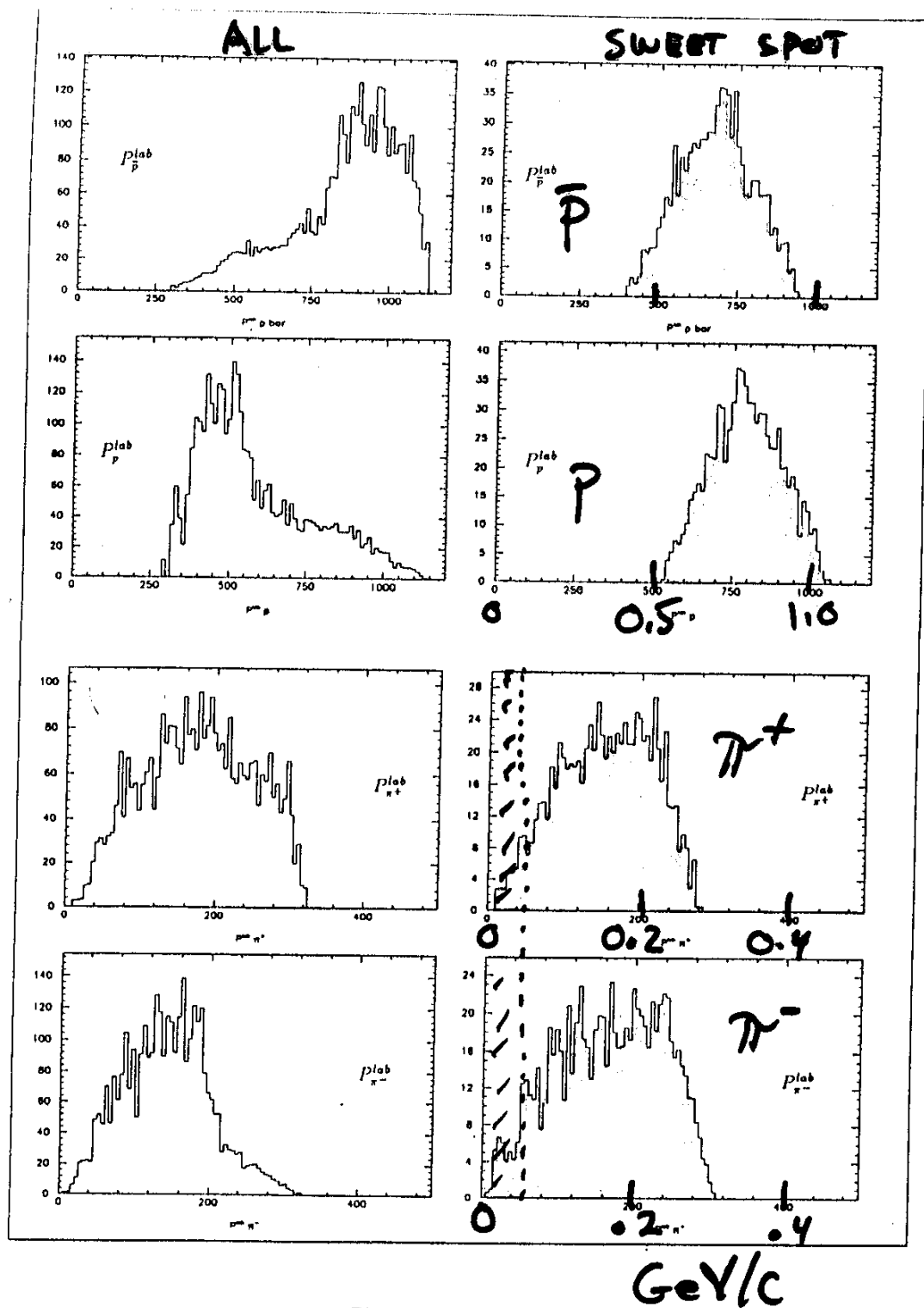
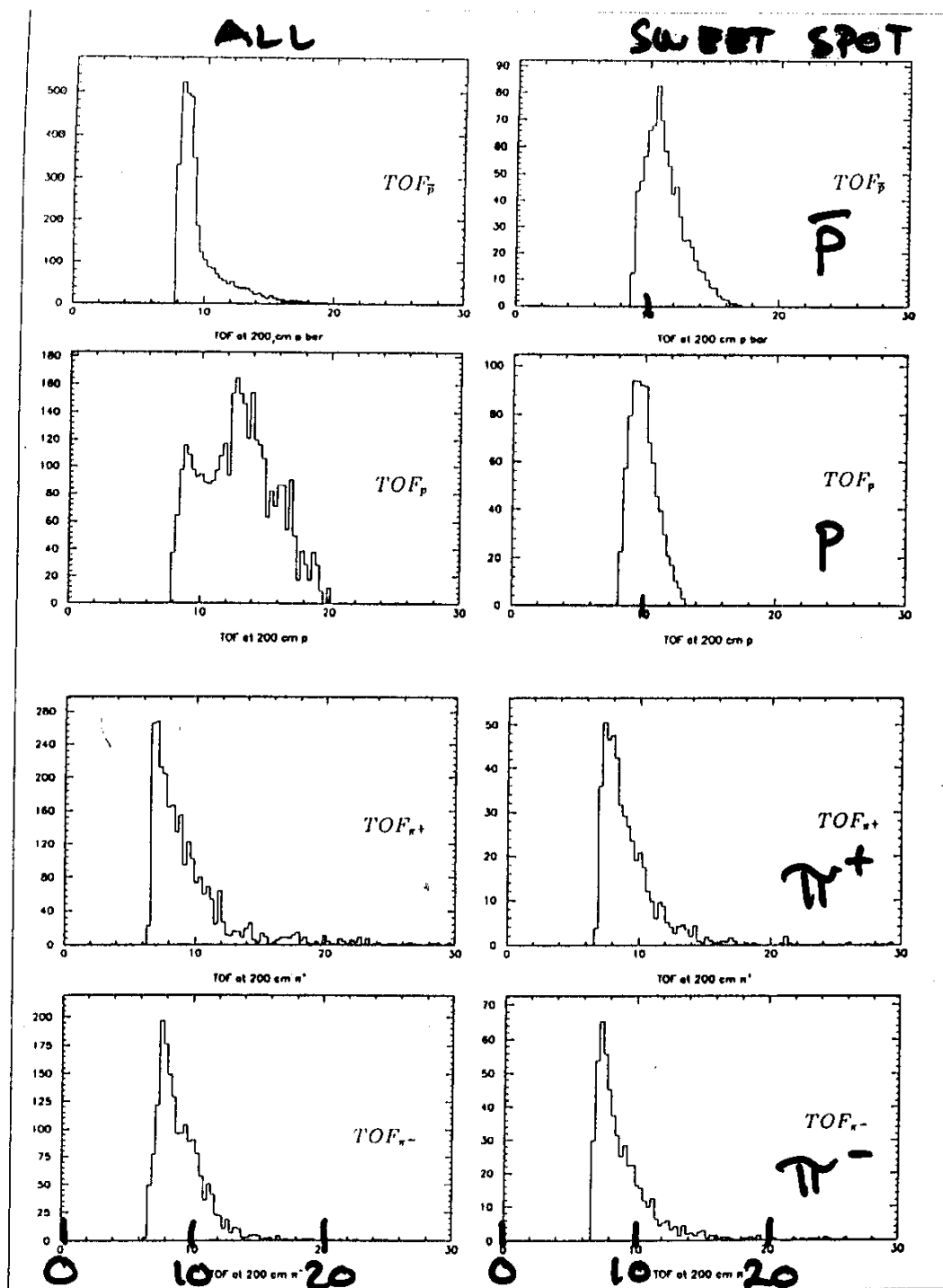


Figure 5: Laboratory momenta for  $\bar{\Lambda}\Lambda \rightarrow \bar{p}\pi^+\pi^-$  decay products. For  $\bar{p}p \rightarrow \bar{\Lambda}\Lambda$  data simulated at 1.65 GeV/c incident antiproton momentum shown are, from top to bottom, distributions of the final-state particle laboratory momenta  $p_{\bar{p}}^{lab}$ ,  $p_p^{lab}$ ,  $p_{\pi^+}^{lab}$ ,  $p_{\pi^-}^{lab}$  (in MeV/c). The plots on the left side include all events, those on the right side only events falling into the region-of-interest.

MOMENTA DECAY  $p, \pi$



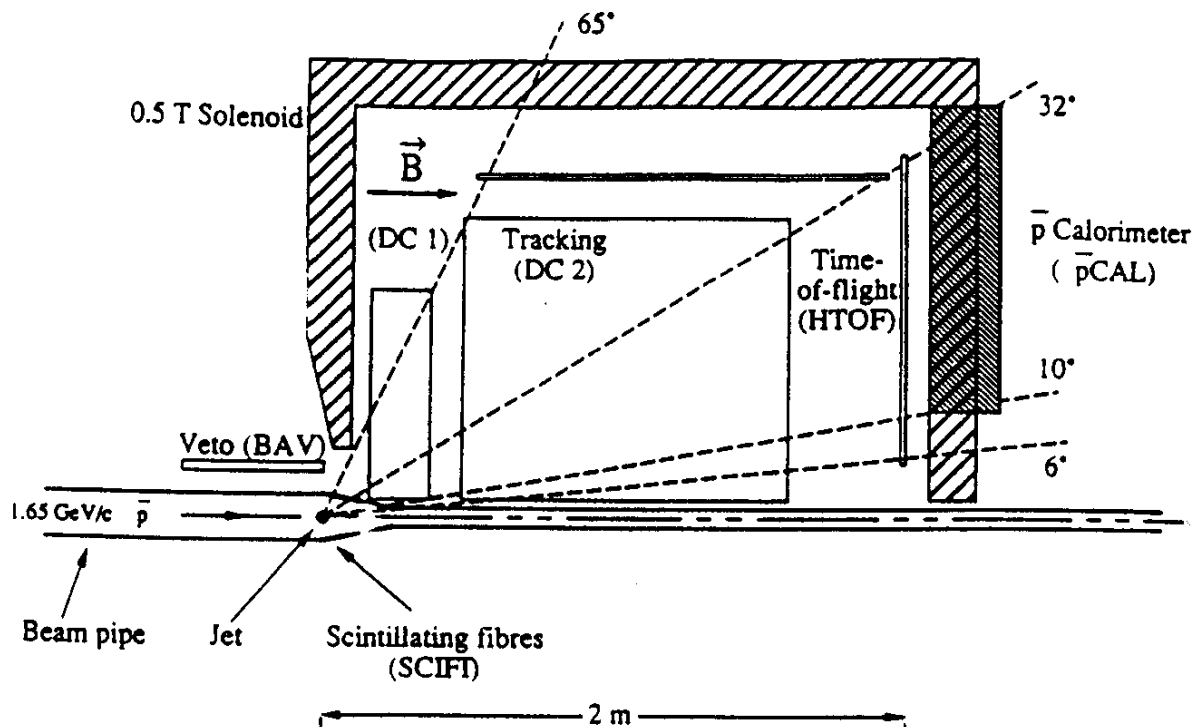
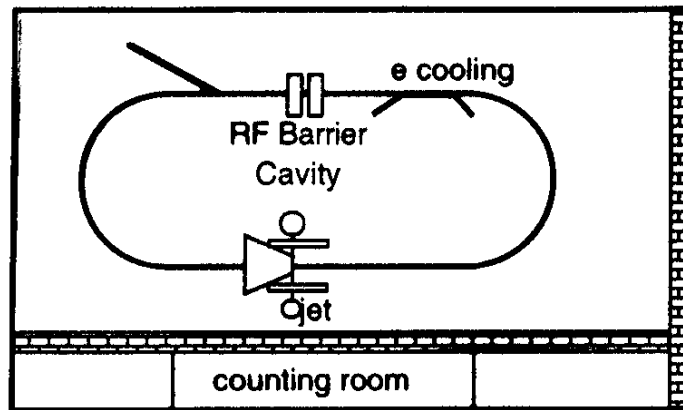
(ns)

Figure 8: Time-of-flight for  $\bar{\Lambda}\Lambda \rightarrow \bar{p}\pi^+p\pi^-$  decay products. For  $\bar{p}p \rightarrow \bar{\Lambda}\Lambda$  data simulated at 1.65 GeV/c incident antiproton momentum shown are, from top to bottom, distributions of the final-state particle times-of-flight, over a 2 m distance  $TOF_{\bar{p}}$ ,  $TOF_p$ ,  $TOF_{\pi^+}$ ,  $TOF_{\pi^-}$  (in ns). The plots on the left side include all events, those on the right side only events falling into the region-of-interest.

T.O.F.  
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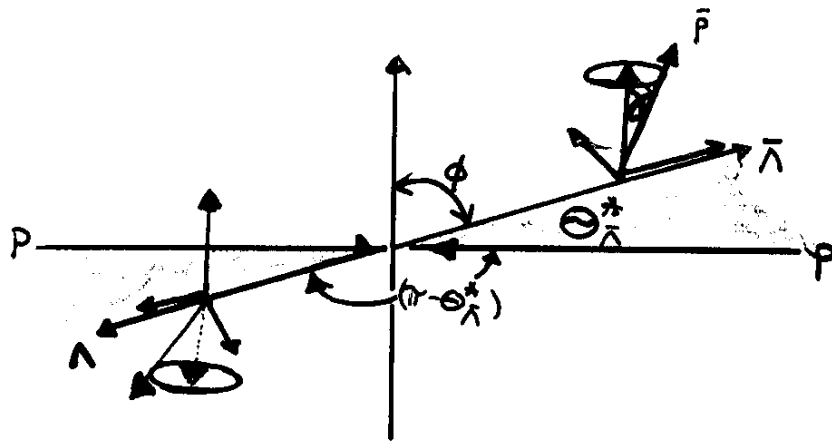
$\Sigma$  TOF is fairly good discriminator

## The Experiment is a RING and a Detector

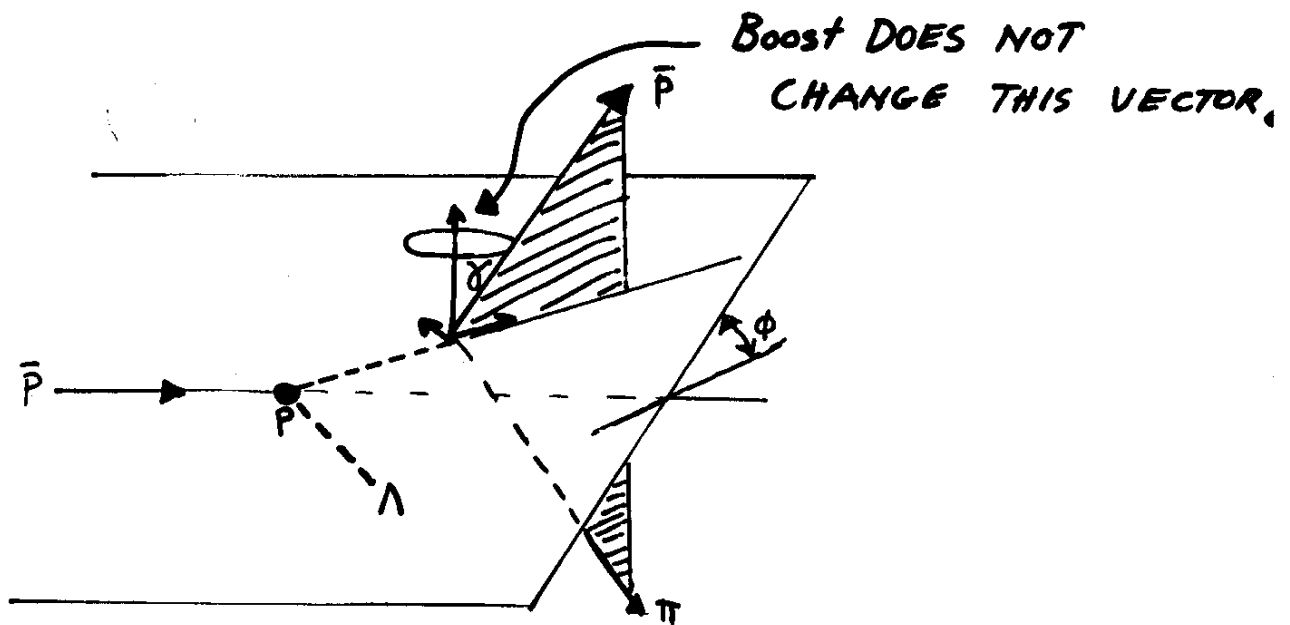




COM



LAB



REQUIRE:

"N"  $\equiv$  ACCEPTANCE

STRONG

OR

INTERMEDIATE

OR

WEAK

$$N_{uu}(\theta_{\bar{\lambda}}^*, \phi) = N_{dd}(\theta_{\bar{\lambda}}^*, \phi)$$

$$N_{uu}(\theta_{\bar{\lambda}}^*, \phi) + N_{uu}(\theta_{\bar{\lambda}}^*, \phi + \pi) = N_{dd}(\ ) + N_{dd}(\ )$$

$$\int N_{uu}(\theta_{\bar{\lambda}}^*, \phi) d\phi = \int N_{dd}(\theta_{\bar{\lambda}}^*, \phi) d\phi$$

## INTERESTING CONSIDERATIONS ...

### VALIDITY of ASSUMPTIONS

- ASSUME C, P, & CP INVARIANCE IN PRODUCTION

< C NOT TESTED AS WELL AS WE REQUIRE >  
 $\vec{P}$  of  $\Lambda(\theta) = \bar{\Lambda}(\pi-\theta)$

- $\vec{P}(\bar{p} \text{ beam}) = \vec{P}(\text{JET}) = 0$

$\Rightarrow$  SIBERIAN MONGOOSE NEEDED?

- No selective DEPOLARIZATION of  $\Lambda$  vs  $\bar{\Lambda}$  before decay

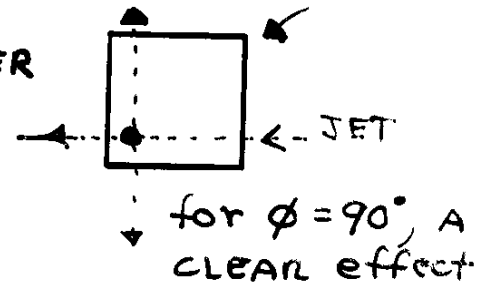
### BUILT-IN PROBLEMS

- $\Lambda, \bar{\Lambda}$  finite decay path  $\Rightarrow \pi$  ROTATION \*  
of detector does NOT really work to  
cancel Asymmetries  $\epsilon(\gamma_{p_{\text{decay}}}) \neq \epsilon(\gamma + \pi)_{p_{\text{decay}}}$
- $\pi^+ - \pi^-$  INTERACT DIFFERENTLY
- $\bar{p} - p$  DRAMATIC DIFFERENCE

## CONDITIONS WHICH BIAS the MEASUREMENT

➔ PAIRS of effects contribute - 2<sup>nd</sup> Order  
SINGLE PROBLEMS <IN PAIRS ... WATCH OUT>

- Misalignment of TRACKER  
⇒  $\epsilon$  differences

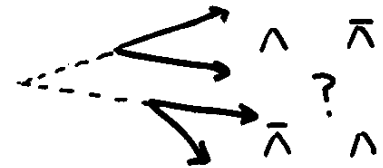


- NON UNIFORM TRACKER

- MISIDENTIFY  $p - \pi^-$   
(OR)  $\bar{p} - \pi^+$   
OK if =  $\frac{1}{2}$  RANDOM



- MISIDENTIFY  $\Lambda - \bar{\Lambda}$   
dilution



- Some more PARTICULAR detector-specific effects

## BUILT-IN CHECKS

- $\sum_{\Lambda}$  vs  $\sum_{\bar{\Lambda}}$  CPT uses "All" events \*
- WRONG production plane Analysis  
choose  $\phi \neq \phi_{\text{ACTUAL}}$   
⇒  $R=0, A=0, \dots$
- $p p \rightarrow \bar{p} p \pi^+ \pi^-$  TEST DETECTOR UNIFORMITY

At this point ...

I Am increasingly discouraged About  
reaching  $10^{-5}$ ...

... but I hope to eat these words  
someday.

Needed!

- A smart idea (outside the box)
- Some very good detector thoughts
- A TON of work

